# Query Processing – kNN

Jianzhong Qi and Rui Zhang

## **Synonyms**

*K* nearest neighbor query; *K*NN query.

#### **Definitions**

Consider a set of n data objects  $O = \{o_1, o_2, ..., o_n\}$  and a query object (user) q. Each object including the query object is associated with a d-dimensional vector representing its coordinate in a d-dimensional space ( $d \in \mathbb{N}_+$ ). Given a query parameter k ( $k \in \mathbb{N}_+$ ), the k nearest neighbor (kNN) query computes a size-k subset  $S \subseteq O$  that contains the data objects that are the nearest to q:

$$\forall o_i \in S, o_j \in O \backslash S : dist(q, o_i) \leq dist(q, o_j)$$

Here,  $dist(\cdot)$  is a function that returns the distance between two objects. A variety of distance functions have been considered in the literature, such as Euclidean ( $L_2$ ) distance, Manhattan  $(L_1)$  distance, Chebyshev  $(L_{\infty})$  distance, spatial network distance, and general metric distance.

KNN query processing in the spatial data management context has focused on 2- or 3-dimensional Euclidean space and spatial network space.

# Overview

The rapid growth of *location-based services* (LBS) has accumulated a massive amount of spatial data such as mapping data and user trajectories. Popular LBS such as Google Maps are serving millions of users who issue queries such as *finding Alice her nearest petrol stations*, which is a typical example of *k*NN queries. Most *k*NN algorithms use *spatial indices* over the data objects to help prune the unpromising search space and obtain high query efficiency. When the amount of data becomes too large to be indexed or queried on a single machine,

parallelism needs to be exploited to overcome such limitations. This raises new challenges of kNN queries in parallel index management and query processing.

are difficult to be parallelized because of the backtracking procedure in traversal.

## Parallel KNN Algorithms

## **Key Research Findings**

We start with a brief review of two classic *k*NN algorithms and then focus on the discussion of recent developments on *k*NN algorithms that use parallelism to manage the growing amount of data.

## Traditional KNN Algorithms

arguably most popular kNN query algorithms are the bestfirst (Hialtason and Samet 1995) and the depth-first (Roussopoulos et al 1995) algorithms. These two algorithms rely on an tree index (e.g., R-trees (Guttman 1984)) over the data set O. They traverse the tree index starting from the tree root to find data objects nearest to q. During the traversal, the distance to the  $k^{th}$  NN among the data objects already visited is used to facilitate the pruning of unpromising tree branches that do not index nearer data objects. When a tree node N is visited, the best-first algorithm inserts all child nodes of N into a queue Q prioritized by an estimated distance between each child node and q. The next node to be visited is the one in Q with the smallest estimated distance to q. The depth-first algorithm simply visits the first child of each node before visiting the sibling nodes. While these two algorithms have shown high empirical query efficiency due to the pruning power of the tree indices, they

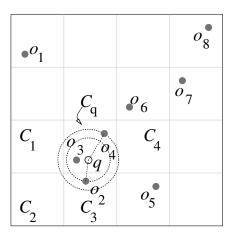


Fig. 1 Grid based kNN computation.

Parallel kNN query algorithms that suit popular parallel computation models such as MapReduce (Dean and Ghemawat 2008) have been developed to handle data beyond the processing capability of individual machines. Such algorithms partition the data space with a grid (a.k.a. tiling, cf. Fig. 1) so that data objects in different grid cells can be examined in parallel. A two-stage procedure is used in query processing. In the first stage, the cell  $C_q$  that contains the query object q is identified, and kNNis computed over the data objects in  $C_a$ (e.g., the 2NNs in Fig. 1 are  $o_3$  and  $o_4$ ). In the second stage, the cells adjacent to  $C_q$  are examined to find data objects that may be nearer to q than the  $k^{th}$  NN already found (e.g., cells  $C_1$ ,  $C_2$ ,  $C_3$ , and  $C_4$ , which are within the circle defined

by the second NN  $o_4$ ;  $o_2$  is found to be the new second NN). This step may be repeated over more cells adjacent to the cells examined, until the nearest data object in these adjacent cells is farther away than the  $k^{th}$  NN already found.

#### Hadoop Based kNN algorithms

Hadoop is an open-source implementation of the MapReduce computation model. The MapReduce model processes a task (a MapReduce job) in two phases: Map and Reduce. The Map phase assigns data to different machines in a cluster, while the Reduce phase runs computation on each machine. The data storage component of Hadoop named Hadoop Distributed File System (HDFS) is an implementation of the Google File System (Ghemawat et al 2003). HDFS is optimized for large data blocks (e.g., 64 MB per block), Hadoop based kNN algorithms need to design indices following this block size.

Aji et al (2012) propose a kNN algorithm based on MapReduce with an assumption that the number of data objects is relative small and the entire data set can be replicated to each machine for query processing. They focus on efficient processing of a large number of kNN queries at the same time, which is done by a single MapReduce job. In the Map phase, the query objects are partitioned with a grid and assigned to different machines according to their grid cell id. In the Reduce phase, the data set is replicated to each machine, upon which a local index (e.g., an R-tree) is built. The queries are then processed on each machine independently.

SpatialHadoop (Eldawy and Mokbel 2013) is a MapReduce framework for

spatial query processing. It employs a two-level index structure that consists of a global index and a local index. The global index is built by partitioning the data space such that every partition can fit in a block in HDFS. Grid based and R-tree based indices are implemented in SpatialHadoop. A grid based index simply partitions the data space with a uniform grid. An R-tree based index creates an R-tree on a sample of the data set, where the leaf nodes are used to partition the data space. Minimum bounding rectangles (MBR) of the partitions are stored in the global index which is kept in the main memory of the master node of the cluster. A local index is built on every partition and kept in HDFS. KNN queries are processed with the two-stage search space expansion procedure as described earlier. First, the partition containing the query object is identified using the global index, where a kNN query is computed using the local index. Then, adjacent partitions are explored until no more NNs can be found.

AQWA (Aly et al 2015) builds a global index using the k-d tree (Bentley 1975) to create the data partitions where every partition is stored in HDFS as a block. The k-d tree is stored in the main memory of the master node. Additionally, the master node keeps a count of data objects for each partition. This enables processing a kNN query with only one MapReduce job as follows. The partitions nearest to the query object q that together contain at least k objects can be identified from the k-d tree index and the data counts. The farthest point of these partitions from q defines a circle centered at q. Only partitions within this circle needs to be fetched for query processing, which can be done by a single MapReduce job.

#### HBase Based kNN algorithms

HBase is an open-source key-value store (NoSQL database) built on top of HDFS. It hides the underlying block storage from users and hence kNN algorithms based on it do not have to consider how to organize the data in blocks.

MD-HBase (Nishimura et al 2011) is a multidimensional data store built on HBase. This system stores the Z-order (Orenstein and Merrett 1984) value of a data object together with the data object itself as a key-value pair in HBase. The key-value pairs are partitioned by the key range, and every partition is stored as a region. Data in HBase is indexed with a B<sup>+</sup>-tree like index structure, where the key range of a region is stored in an index layer called the META layer. MD-HBase uses the longest common prefix of the keys (in the binary form) in a region as the index key of the region. KNN queries are processed following a search space expansion procedure. At start, the region with an index key that shares the longest common prefix with the Z-order value of the query object q is identified, and an initial kNN answer is computed from the region. The  $k^{th}$  NN found defines a distance from q where the search should expand to. This procedure repeats until no new kNN objects can be found in the expanded search space.

The  $KR^+$  index (Hsu et al 2012) follows a similar kNN query procedure to that of MD-HBase, but uses an  $R^+$ -tree (Sellis et al 1987) to group the data objects and Hilbert-order (Lawder and King 2001) values of the MBRs of the tree leaf nodes as index keys.

*HGrid* (Han and Stroulia 2013) uses another index key formulation, which is based on a two-level grid structure. The

first level uses a coarse grid where the grid cells are indexed by the Z-order values. The second level further partitions each first-level grid cell with a regular grid where the cells are indexed by their row and cell numbers. The key value of a data object is formed by a concatenation of the index keys of the first and second level cells that this object locates at. HGrid has a slightly different kNN algorithm. The algorithm starts by estimating a region that may contain sufficient data objects to form a kNN answer based on the data density. Then, an initial kNN answer is computed from this region, and the search space expansion strategy is used to refine the answer.

COWI and CONI (Cahsai et al 2017) build a quad-tree (Finkel and Bentley 1974) over the data set where the leaf node numbers are used as the index keys of the data objects. COWI stores the non-leaf levels of the quad-tree index in the memory of a master machine. The index also contains the number of data objects in each leaf node, which is used to help query processing in a way similar to that of AQWA. CONI considers the case where the quad-tree is too large to be held in memory. It stores the tree as a separate table in HBase. At query time, the tree index is accessed first to determine the leaf nodes that may be relevant for query processing.

#### Spark Based kNN algorithms

*Spark* provides an in-memory computation cluster framework to handle massive data. A set of data to be processed is modeled as a *resilient distributed dataset* (RDD). RDDs are stored in partitions across machines in the cluster.

GeoSpark (Yu et al 2015) encapsulates RDDs with an abstraction named the spatial resilient distributed dataset (SRDD) to store spatial data. An SRDD is partitioned using a uniform grid. Local indices such as quad-trees may be created for data objects in the partitions. KNN query processing on GeoSpark is done by following the grid based search space expansion strategy as discussed earlier.

Simba (Xie et al 2016) uses both global and local indices. It creates a new RDD abstraction called the IndexRDD to store a local index (e.g., an R-tree) together with the data objects in each partition, while the partitions are created by the STR algorithm (Leutenegger et al 1997). The global index (e.g., an R-tree) is created over the partitions and held in-memory in the master node for fast query processing. KNN queries on Simba also follows the search space expansion strategy, but varies from the standard procedure slightly by fetching multiple partitions at start instead of only the partition containing the query object. The  $k^{th}$  NN from the fetched partitions is used to define the search space to be explored next.

#### **Examples of Application**

KNN queries have a large variety of applications in different fields such as spatio-temporal databases, location-based services, and data mining, just to name but a few. In spatial data management, a typical application is in digital mapping, e.g., Google Maps, where kNN queries may be used for finding the nearest *Points-of-Interest* (POI) for query users. A closely related

application is in ride-sharing, e.g., Uber, where kNN queries may be used to find the nearest cars for car riders. Another application is in augmented reality gaming, e.g., Pokémon GO, where kNN queries may be used to find the nearest gaming objects of game players.

#### **Future Directions for Research**

The techniques discussed above consider stationary data objects whose locations do not change over time. With the growing popularity of smart mobile devices, location-based services for moving data objects (users) become prevalent, which call for efficient kNN algorithms over massive sets of moving objects (Nutanong et al 2008; Wang et al 2014: Li et al 2014, 2016: Gu et al 2016) and streaming location data (Koudas et al 2004). Simply recomputing the query whenever there is an object location update may be infeasible due to the larger number of objects and updates. Keeping the query result updated under such constraints is a challenging task.

KNN queries in higher dimensional spaces (Jagadish et al 2005) is another challenge. As a major application domain, data mining requires kNN computation over feature spaces that may have thousands of dimensions. The techniques discussed are inapplicable, because they use spatial indices for low dimensional spaces. Approximate kNN algorithms are in need to cope with the high processing costs in high dimensional spaces.

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### **Cross-References**

- Indexing
- Query Processing Comp Geometry
- Query Processing Joins